



### **DPP – 2 (Friction)**

Video Solution on Website:-

https://physicsaholics.com/home/courseDetails/64

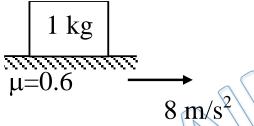
Video Solution on YouTube:-

https://youtu.be/SWt62MRo5RY

Written Solutionon Website:-

https://physicsaholics.com/note/notesDetalis/76

Q 1. If the surface is moving at 8 m/s<sup>2</sup>. What is the acceleration of block in m/s<sup>2</sup>?



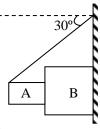
- Q 2. A body is placed on a rough inclined plane of inclination  $\theta$ . As the angle  $\theta$  is increased from 0°to 90° the contact force between the block and the plane
  - (a) remains constant
  - (b) first remains constant then decreases
  - (c) first decreases then increases
  - (d) first increases then decreases.
- Q 3. A block of mass m slides down an inclined plane of inclination  $\theta$  with uniform speed. The coefficient of friction between the block and the plane is . The contact force between the block and the plane is:
  - (a) mg
  - (b) mg sin  $\theta \sqrt{1 + \mu^2}$
  - (c) mg sin  $\theta$
  - (d)  $\sqrt{(mg \sin \theta)^2 + (\mu mg \cos \theta)^2}$
- Q 4. A block is placed over a plank. The coefficient of friction between the block and the plank is  $\mu = 0.2$ . Initially both are at rest, suddenly the plank starts moving with acceleration  $a_0 = 4 \text{ m/s}^2$ . The displacement of the block in 1s is :  $(g = 10 \text{ m/s}^2)$ 
  - (a) 1 m relative to ground
- (b) 1 m relative to plank
- (c) zero relative to plank
- (d) 2 m relative to ground
- Q 5. A block of mass m=2 kg is resting on a rough inclined plane of inclination  $30^\circ$ . The coefficient of friction between the block and the plane is  $\mu=0.5$ . What minimum force F should be applied perpendicular to the plane on the block, so that block does not slip on the plane:  $(g=10 \text{ m/s}^2)$ 
  - (a) zero
- (b) 6.24 N
- (c) 2.68 N
- (d) 4.34 N



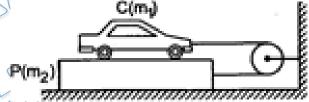
### P hysicsaholics



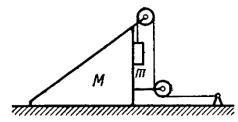
Q 6. Two blocks A and B of mass 10 kg and 20 kg respectively are placed as shown in figure. Coefficient of friction between all the surfaces is 0.2. Then–  $(g = 10 \text{ m/s}^2)$ 



- (a) tension in the string is 306 N
- (b) tension in the string is 132 N
- (c) acceleration of block B is  $2.6 \text{ m/s}^2$
- (d) acceleration of block B is  $4.7 \text{ m/s}^2$
- Q 7. A weight W can be just supported on a rough inclined plane by a force P either acting along the plane or horizontally. The limiting angle of friction is f and is q the angle which incline makes with the horizontal. Then—
  - (A) the incline makes an angle with the horizontal twice the limiting angle of friction i.e. q=2f
  - (B) the incline makes an angle with the horizontal equal to the limiting angle of friction i.e.  $\mathbf{q} = \mathbf{f}$
  - (C) the ratio of the force to the weight is  $\frac{P}{W} = \cot f$
  - (D) the ratio of the force to the weight is  $\frac{P}{W} = \tan f$
- Q 8. A car C of mass  $m_1$  rests on a plank P of mass  $m_2$ . The plank rests on a smooth floor. The string and pulley are ideal. The car starts and moves towards the pulley with acceleration.



- (a) If  $m_1 > m_2$ , the string will remain under tension.
- (c) If  $m_1 < m_2$ , the string will become slack.
- (c) If  $m_1 = m_2$ , the string will have no tension, and C and P will have accelerations of equal magnitude.
- (d) C and P will have accelerations of equal magnitude if  $m_1 > m_2$ .
- Q 9. In the figure shown, friction exists between wedge and block and also between wedge and floor. The system is in equilibrium in the shown position. Which of the following is incorrect

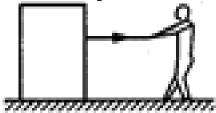




### P hysicsaholics



- (a) minimum coefficient of friction required to hold the system in equilibrium is  $\frac{m}{M+m}$ .
- (b) frictional force between wedge and block is 0.
- (c) frictional force between wedge and surface is mg.
- (d) none of these
- Q 10. A man pulls a block heavier than himself with a light rope. The coefficient of friction is the same between the man and the ground, and between the block and the ground.



- (a) The block will not move unless the man also moves.
- (b) The man can move even when the block is stationary.
- (c) If both move, the acceleration of the man is greater than the acceleration of the block.
- (d) None of the above assertions is correct.
- Q 11. For what maximum value of force F, can all the three blocks move together?
  - (a) 8N
- (b) 18N
- (c) 12N
- (d) 6N
- Q 12. If F = 3N, the value of frictional force acting between blocks B and C is
  - (a) 2N
- (b) 1N
- (c) 0.5N
- (d) Zero
- Q 13. If F = 15N, the value of frictional force acting between blocks A and B is
  - (a) 2N
- (b) 4N
- (c) 8N
- (d) 7N
- Q 14. Velocity of the block in time interval t=0 to t=1 sec will
  - A) remains constant
- B) decreases
- C) increases
- D) none of these
- Q 15. Displacement of the block in time interval t=0 to t=3sec
  - (a) 20 m
- (b) 30 m
- (c) 50 m
- (d) 60 m

- Q 16. Velocity of the plank after a long time is
  - (a)2 m/s

(b) 5 m/s

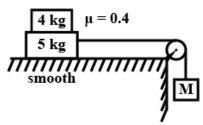
(c) 10 m/s

- (d) 12 m/s
- Q 17. What should be the maximum value of M so that the 4 kg block does not slip over the 5 kg block: (Take  $g=10m/s^2$ )



# hysicsaholics



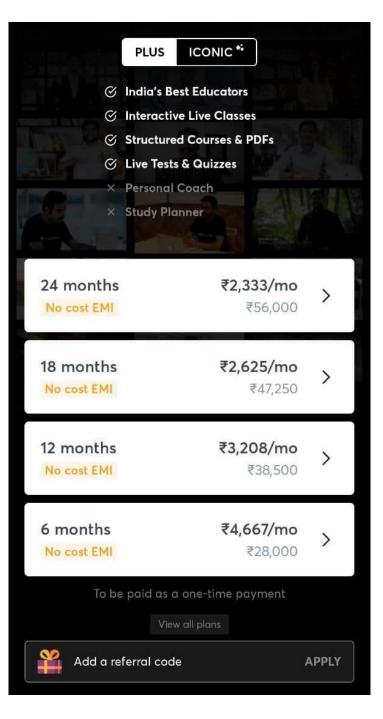


- (a) 12 kg (c) 10 kg

- (b) 8 kg
- (d) 6 kg

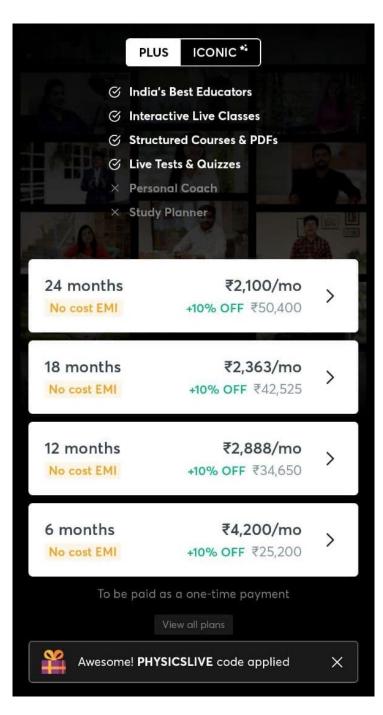
# Answer Key

Q.1 6	Q.2 b	Q.3 a	Q.4	Q.5 c
	19		a,b	
Q.6 a,d	Q.7 a,d	Q.8 A,b,c,d	Q.9 d	Q.10
	V			a,b,c
Q.11 c	Q.12 a	Q.13 b	Q.14 a	Q.15 c
Q.16 b	Q.17 d			
		]		





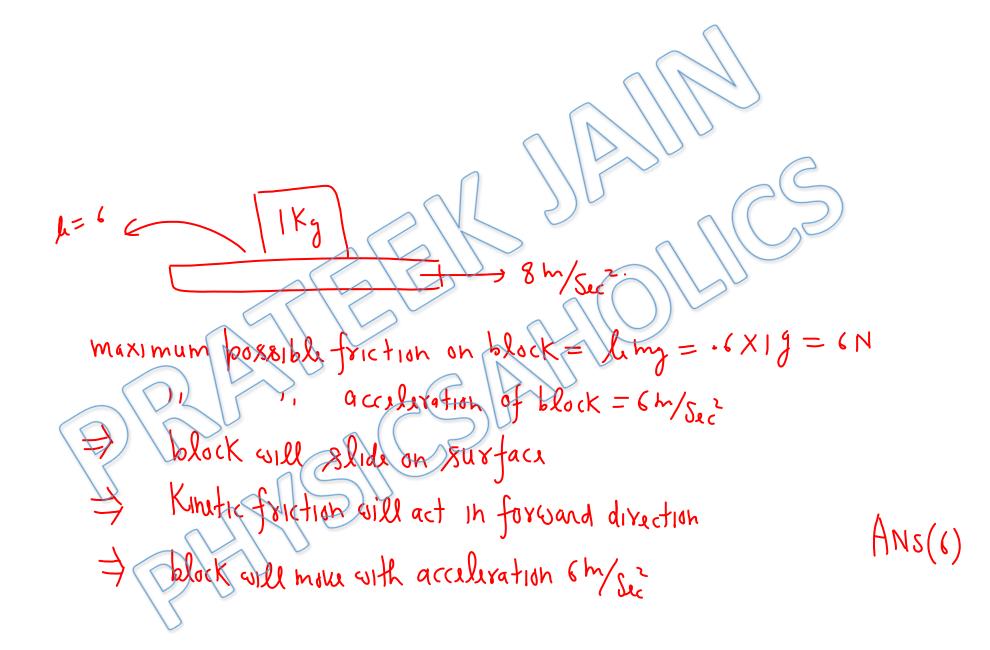
Use code PHYSICSLIVE to get 10% OFF on Unacademy PLUS.



# Written Solution

DPP- 2: Friction- Limiting Friction, Angle of repose, Angle of Friction, Block over Block Problems

By Physicsaholics Team



for 
$$0 \le tan'(h)$$

$$F_{c} = \lceil N' + f' \rceil = mg \lceil S_{1}n' \theta + C_{6}s' \theta \rceil = mg$$

$$= Constant$$

$$for  $0 > tan'(h)$ 

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil = N \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil N' + h' h' \rceil + h'$$

$$F_{c} = \lceil$$$$

HNS(L)

$$0 = 0 \Rightarrow mg Sin \theta = la mg Cox \theta$$

$$(ontact forca = \sqrt{N^2 + fr^2}$$

$$= \sqrt{(mg Cox \theta)^2 + (la mg Cox \theta)}$$

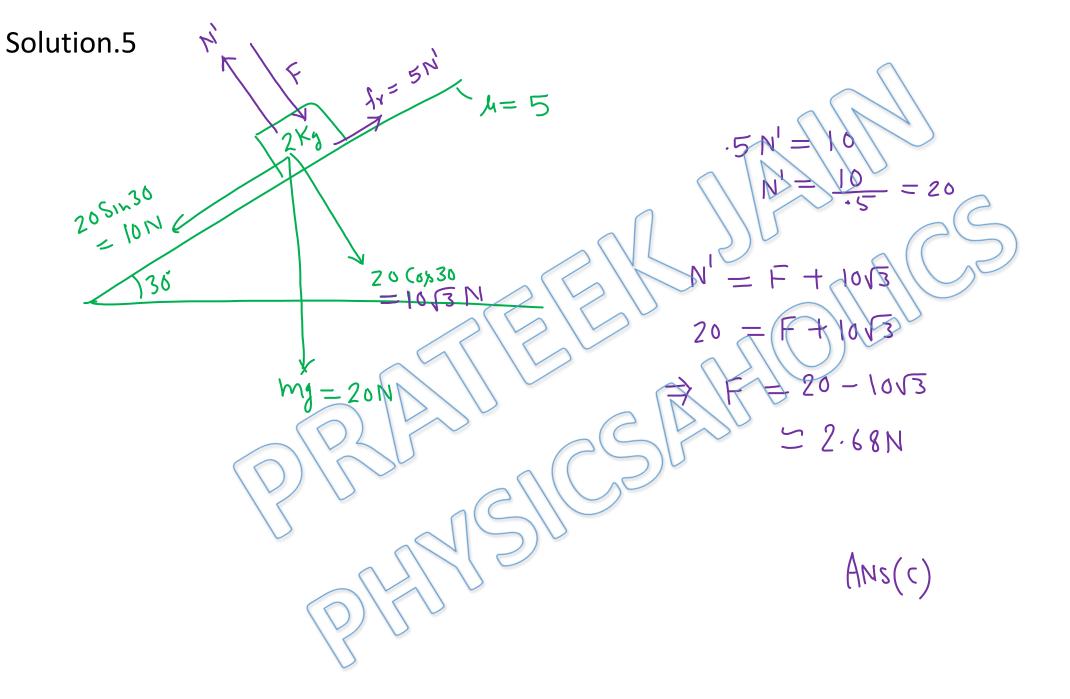
$$= \sqrt{(mg Cox \theta)^2 + (mg Sin \theta)^2}$$

$$= mg Cox \theta$$

$$Ans(a)$$

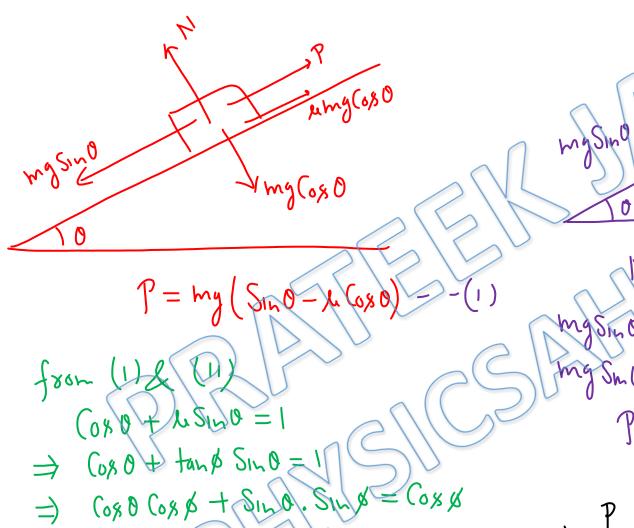
acceleration of block  $= \frac{\text{lmg}}{\text{m}} = \text{lng} = 2 \text{m/sic}$ Displacement of block

>fr=Lmg 4m/sec Dixplacement of block wxt. plank = 1-2 =-1m = 1m deft side ANS (a,b)



A will remain stationary Since length of string 18 Constant from FBD of A ->  $\frac{T}{2} = 100 + -2 N_{AB} = 100 + -2 T \sqrt{3}$ ZNAB VI.SNI 7/2 NI 306 DA for B→ 20 a = 200 - · 4XT/3 SOOM

Ans.a,d

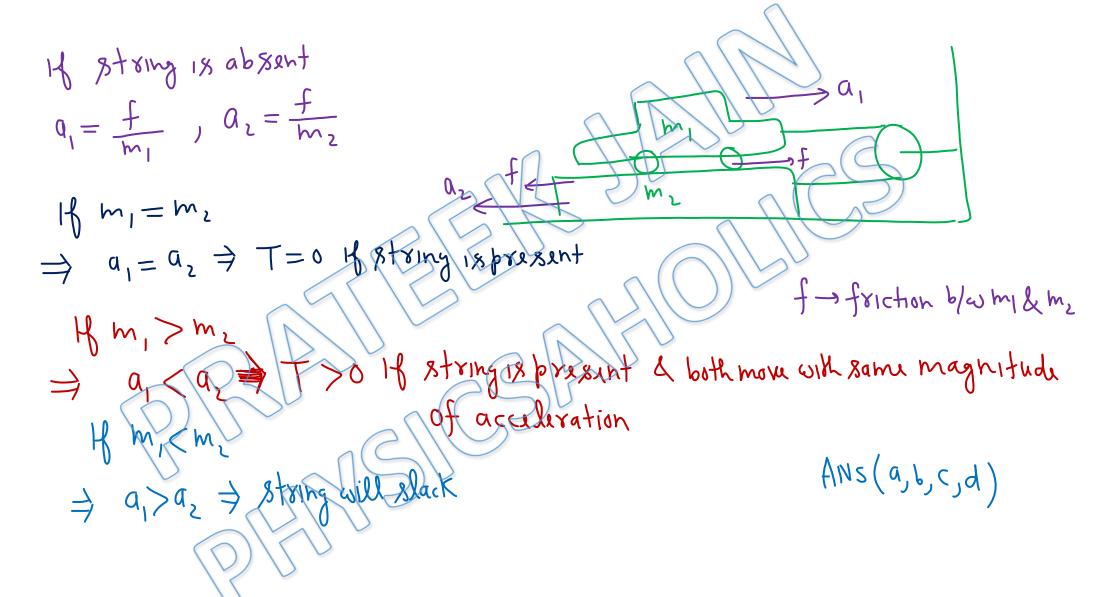


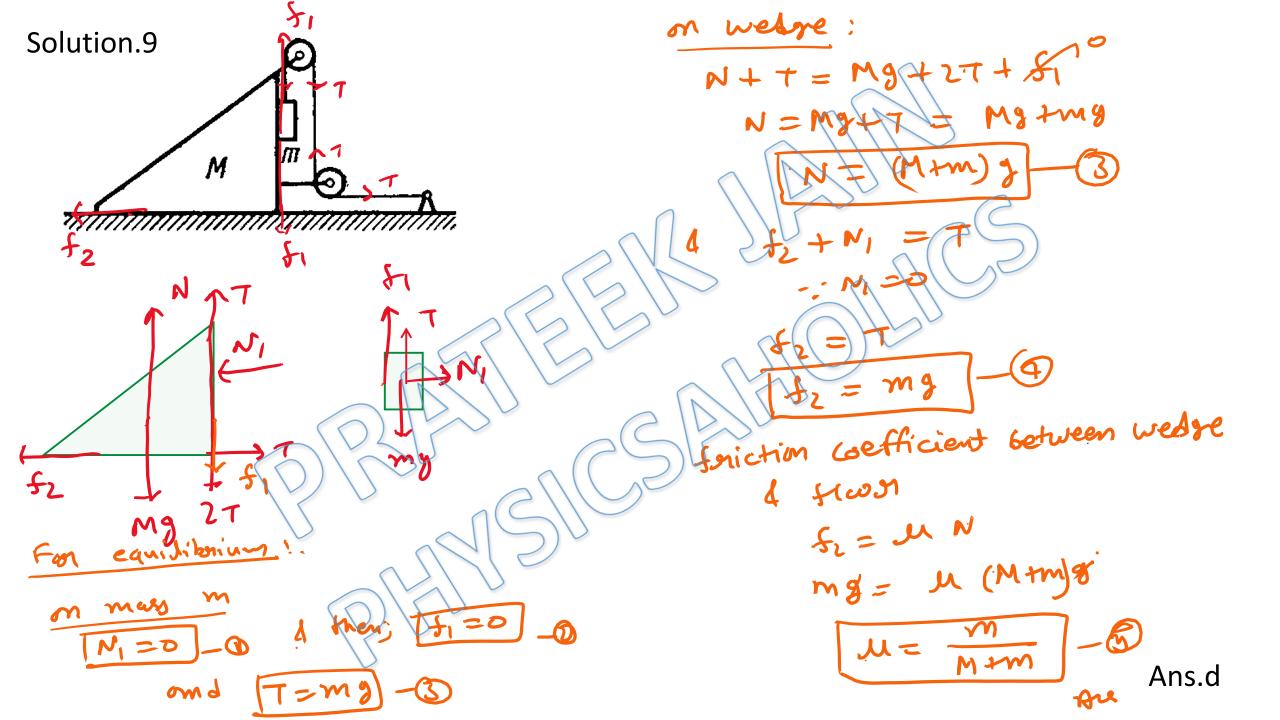
My Sind PSind + My Coso

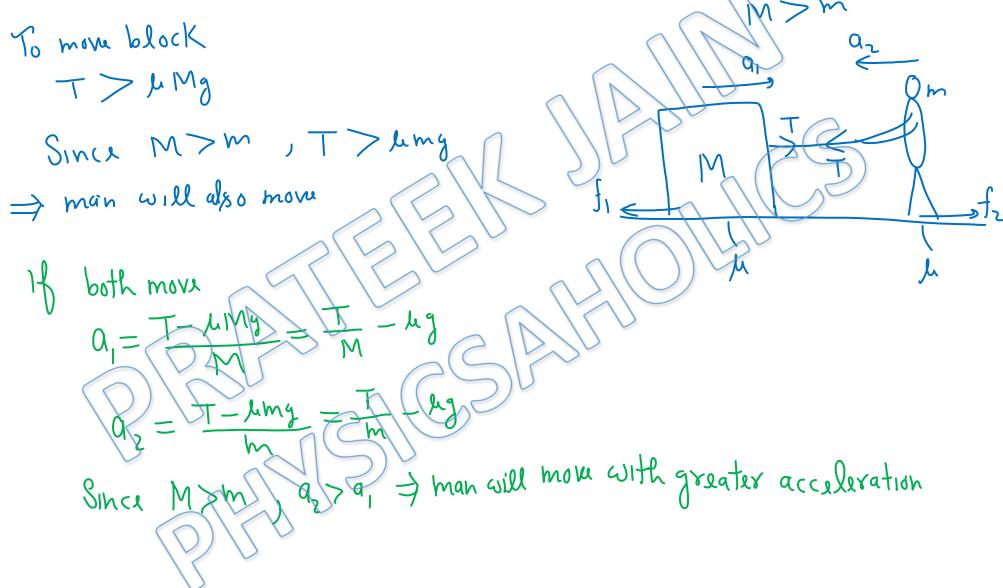
My Sind = 
$$L N' + P Coso$$

My Sind =  $L P Sind + L my Coso + P Coso$ 
 $P = my (Sind - L Coso)$ 
 $Coso + L Sind$ 
 $= Sin 2d - L coso Sind - L cos$ 

,9(080







Ans.a,b,c

maximum possible acceleration of A  $= \frac{6}{1} = \frac{6m}{sec^2}$ 

maximum possible acceleration of AABtogather =  $\frac{8}{2} = 4 \text{ m/sec}$ 

-> A & B will always move together

maximum possible acceleration of

(FI+B+C) without sliding b/w them = am/sec

 $\Rightarrow$  F = 3×4=12N

 $f_{\text{max}} = 8 \times 19$   $f_{\text{max}} = 3 \times 29$   $f_{\text{max}} = 6 \text{N}$  A Shooth

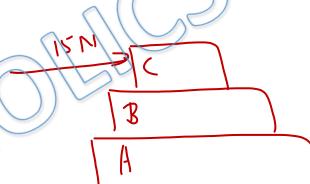
ANS(C)

Since F>12N, There will be soliding b/w B&C but A&B will move together

acceleration of (A+B)

FBD of A





ANS(L)

from t = 0 to t=1

both move with same vulocity

- => friction = 0
- > both move with Constant velocity

20m/sec



20m/sec

Valocity of block at t=3

$$V_0 = 20 - 5 \times 2 = 10 \,\text{m/s}_{ac}$$

for  $t > 3$  (until they move with same valority)

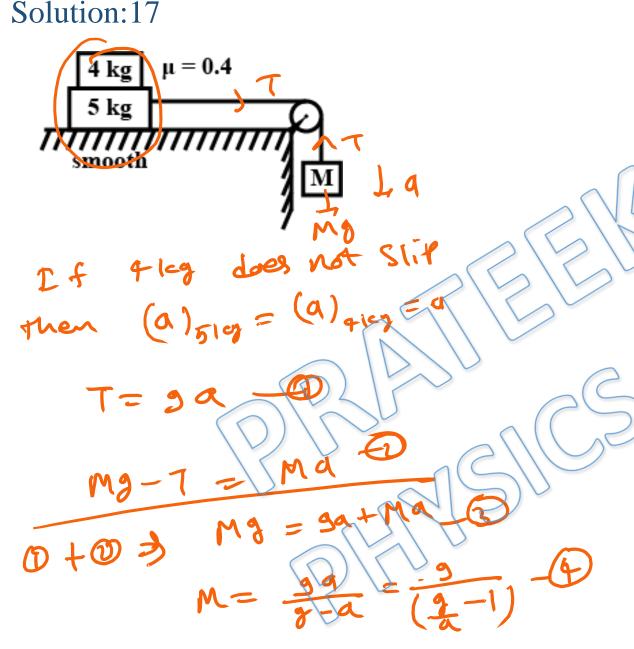
accularation of block =  $\frac{t_{amg}}{t_{amg}} = 5 \,\text{m/s}_{ac}$ 

in the same =  $5 \,\text{m/s}_{ac}$ 

they take to see more after t=  $3 + 3 \,\text{m/s}_{ac}$ 
 $V = 10 - 5 + 6 = 0 + 5 + 6$ 
 $V = 5 \,\text{m/s}_{ac}$ 

Ans(b)

## Solution:17



Fon max value of M

Ans.d

# For Video Solution of this DPP, Click on below link

Video Solution on Website:-

https://physicsaholics.com/home/courseDetails/64

Video Solution on YouTube:-

https://youtu.be/SWt62MRo5RY

Written Solution on Website:-

https://physicsaholics.com/note/notesDetalis/76



































# CUSIS NIKIS